

# iFM & ABZ 2012 Tutorial

## Safety, Dependability and Performance Analysis of Extended AADL Models

### Part 5: Fault Detection, Isolation and Recovery Analysis



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iFM & ABZ 2012; June 18, 2012; Pisa, Italy



## FDIR

- The FDIR (**Fault Detection, Isolation and Recovery**) sub-system is an essential block of safety-critical systems
- It runs **online**, in parallel with the system
- The FDIR block must be able to detect malfunctions, and carry out suitable reactions
- Needed to ensure **fault tolerance** of the system, and prevent the occurrence of safety hazards

# Fault Detection, Isolation and Recovery

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## Goals of FDIR

- **Fault detection**: identify malfunctions
- **Fault isolation**: precisely identify the fault responsible for a malfunction
- **Fault recovery**: recover after a fault has occurred, e.g. reconfiguring the system or switching operational mode



## FDIR Effectiveness Analysis

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  - Fault Detection Analysis
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## Goals of FDIR Analyses

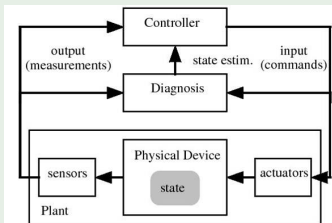
- Both analyses are carried out **offline** (on ground)
  - FDIR effectiveness analysis evaluates the capabilities of an implemented FDIR sub-system
  - Diagnosability analysis helps identifying if enough observables are available for building an FDIR sub-system



## Diagnosis system

- **Plant** (Physical Device) in closed loop with a controller
- **Controller** is responsible for commanding actuators
- **Diagnosis system** tracks the hidden state of the plant over time

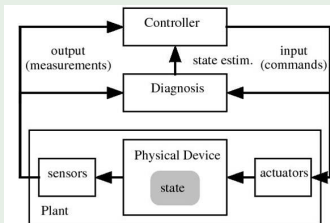
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## Diagnosis



## Diagnosis assumptions

- **Partial observability**: only a limited number of **observables** (e.g., sensors) can be monitored
- **Passive diagnosis**: diagnosis system cannot issue commands to the plant, in order to carry out diagnosis

## Fault Detection

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## Fault Detection in COMPASS

- It can be reduced to a **model checking problem**
- Given a fault  $F$  and an observable  $O$ : “Is it always the case that occurrence of  $F$  will eventually trigger  $O$ ?”
- Observable  $O$  is called a **detection means** for fault  $F$
- COMPASS can synthesize all such observables, for any given fault.
- Detection means are **alarms** triggered by the FDIR sub-system

## Fault Isolation

- Evaluates capabilities of an existing FDIR-sub-system to **identify faults**
- In general, when an anomaly is detected, it may be impossible to precisely identify the responsible fault
- Answers the question: “**Which faults are possible explanations for an event?**”
- **Perfect isolation**: only one fault is identified as possible explanation

# Fault Isolation Analysis

## Fault Isolation

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## Fault Isolation in COMPASS

- It can be reduced to a **fault tree generation problem**
- Given a set of observable events  $O$ , generate a fault tree for each  $o \in O$ , representing the possible explanations for  $o$
- Perfect isolation corresponds to a fault tree with only one MCS (or order 1)

## Fault Recovery

- Evaluates capabilities of an existing FDIR sub-system to **recover from faults**
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## Fault Recovery in COMPASS

- It can be reduced to a **model checking problem**
- A **recoverability property** can be specified by the user
- Fully general properties can be expressed
- E.g.: given a fault  $F$  and a condition  $P$ : “Is it always the case that whenever  $F$  occurs, eventually the system will satisfy condition  $P$ ?”



## Plant

A **plant** is a tuple  $P = \langle X, U, Y, \delta, \lambda \rangle$ , where:

- $X$  is a finite set, called the **state space**
- $X_0 \subseteq X$  is the set of **initial states**
- $U$  is a finite set, called the **input space**
- $Y$  is a finite set, called the **output space**
- $\delta \subseteq X \times U \times X$  is the **transition relation**
- $\lambda \subseteq X \times Y$  is the **observation relation**

## Trace

A **trace** (feasible execution) of the plant, with a discrete number of time steps  $t$ , is as a sequence  $\pi = \langle x^0, y^0, u^1, x^1, y^1, \dots, u^t, x^t, y^t \rangle$  such that:

- $x^0 \in X_0$
- $\delta(x_{i-1}, u_i, x_i)$  for  $i = 1, \dots, t$
- $\lambda(x_i, y_i)$  for  $i = 0, \dots, t$

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## Observable Trace

The observable part of a trace consists of the input and output signal:

$$obs(\pi) = \langle y^0, u^1, y^1, \dots, u^t, y^t \rangle$$

# Diagnosability Analysis

## Diagnosis condition

A **diagnosis condition** for a plant  $P$  is a pair of nonempty and disjoint sets of states  $c_1, c_2 \subseteq X$ , written  $c_1 \perp c_2$

# Diagnosability Analysis

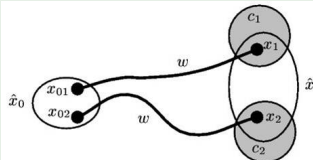
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## Critical Pair

A **critical pair** for diagnosis condition  $c_1 \perp c_2$  and delay  $d$ , given plant  $P$ , is a pair of system traces  $\pi_1$  and  $\pi_2$ , both of length  $t + d$ , with the same observable traces  $w$ , such that  $x_{\pi_1}^t \in c_1 \wedge x_{\pi_2}^t \in c_2$  holds

## Critical Pair



# Diagnosability Analysis

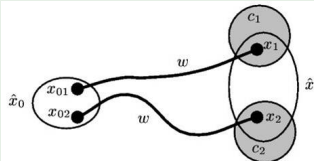
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## Critical Pair



## Diagnosability in COMPASS

- A plant is **diagnosable** if there exists no critical pair, that is, a pair of traces, one “good” and one “bad”, that are indistinguishable
- Diagnosability can be reduced to a model checking problem using the so-called **twin-plant** construction

- Diagnosability and Twin-Plant (Cimatti et. al, [IJCAI 2003](#))
- Synthesis of Observability Requirements (Bittner et. al, [AAAI 2012](#))
- Synthesis of FDIR (Alaña et. al, [DASIA 2012](#))





## FDIR Synthesis

- New ESA study: **AUTOGEF**
- Automated synthesis of an FDIR sub-system starting from a set of FDIR requirements, including:
  - Architectural constraints (centralized vs distributed FDIR)
  - Detection, Isolation and Recovery requirements
  - Performance requirements



## FDIR Development Lifecycle

- New ESA study (under negotiation): **FAME**
- Dedicated FDIR Development Methodology and V&V Process:
  - Formal specification and analysis techniques
  - Integration of inputs from Mission, System Analysis and Specification, System and Software Development
- Integrated framework implementing the methodology and process
- Based on COMPASS (and AUTOGEF)





## Demo Steps

- ① Fault Detection Analysis
- ② Fault Isolation Analysis
- ③ Fault Recovery Analysis